

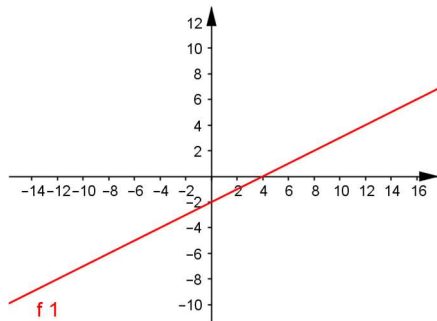
Facitliste – opgaver 2

Opg. 201

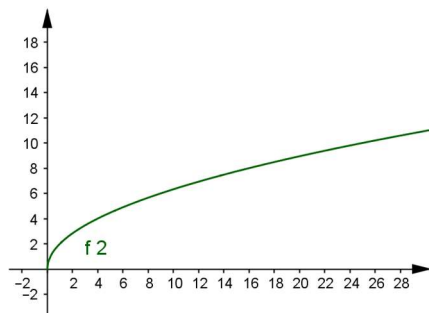
- a. $f(0) = 10$, $f(2) = 0$, $f(-2) = 20$ og $f(5) = -15$
- b. Løsningen til $f(x) = 0$ er $x = 2$
Løsningen til $f(x) = 20$ er $x = -2$

Opg. 202

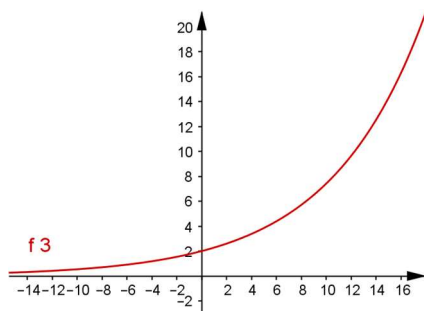
a. 202a



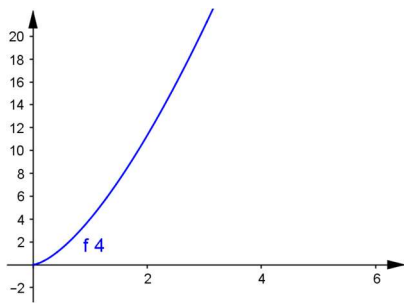
b. 202b



c. 202c

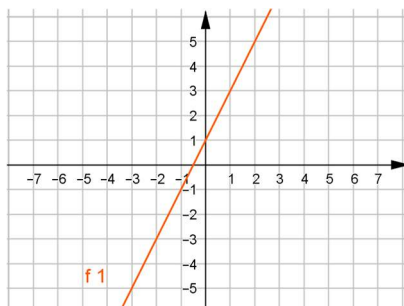


d. 202d

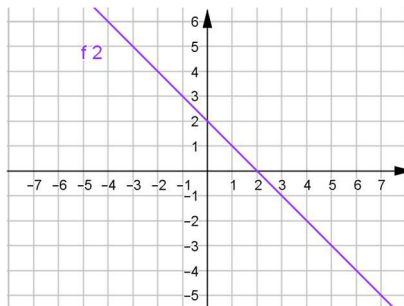


Opg. 203

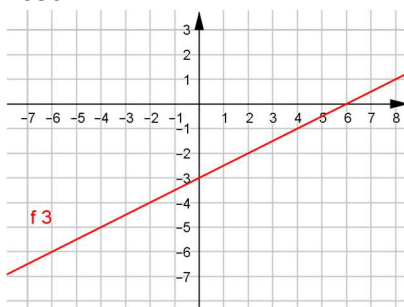
a. 203a



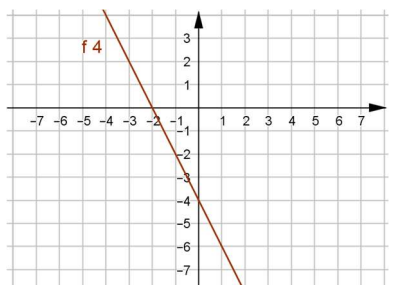
b. 203b



c. 203c

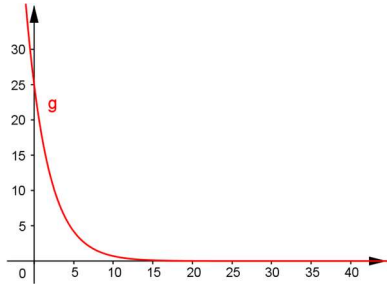


d. 203d



Opg. 204

a. 204a



b. $g(0) = 25$, $g(10) = 0,71$ og $g(-10) = 885$.

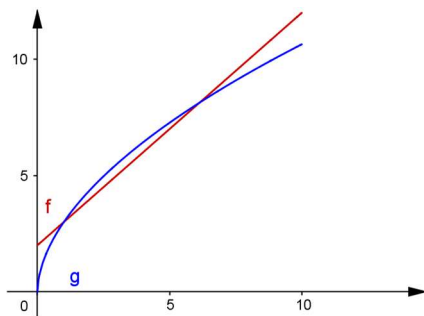
c. Løsningen til $g(x) = 20$ er $x = 0,63$

Løsningen til $g(x) = 10$ er $x = 2,57$

Opg. 205

a. $x = 1$ eller $x = 6,14$

b. 205b



c. $(1 ; 3)$ og $(6,14 ; 8,14)$

Opg. 206

a. $Dm(f_1) = \mathbb{R}$

b. $Dm(f_2) = \mathbb{R}$

c. $Dm(f_3) = \mathbb{R} \setminus \{0\}$

d. $Dm(f_4) = \mathbb{R} \setminus \{5\}$

Opg. 207

a. 350 kWh

b. 65,47 cm

Opg. 208

- a. 2,8 gram
- b. 818,04 gram
- c. 5464,82 gram
- d. 23681,8 gram (For en elefant på 6 ton)

Opg. 209

a. 209a

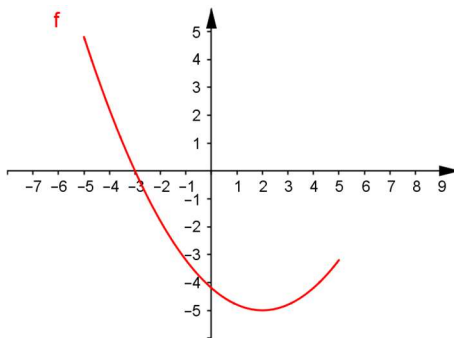


Opg. 210

a.
$$f(x) = \begin{cases} 3x & , 0 \leq x \leq 2 \\ -x & , 2 < x \leq 8 \end{cases}$$

Opg. 211

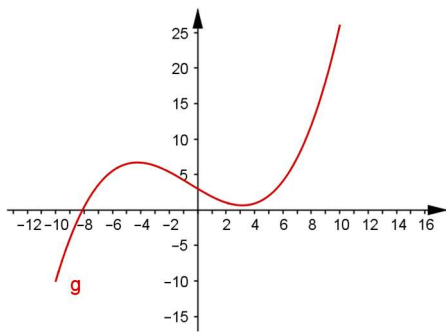
a. 211a



- b. f er aftagende i intervallet $[-5 ; 2]$
 f er voksende i intervallet $[2 ; 5]$

Opg. 212

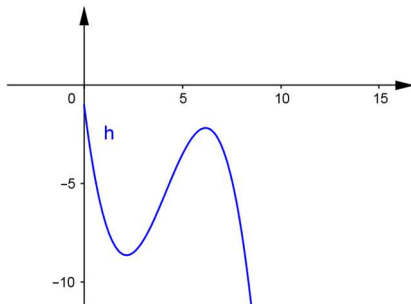
a. 212a



- b. g er voksende i intervallerne $[-10 ; -4,25]$ og $[3,14 ; 10]$
 g er aftagende i intervallet $[-4,25 ; 3,14]$

Opg. 213

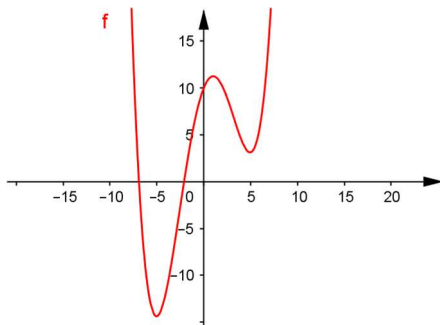
a. 213a



- b. h er aftagende i intervallerne $[0 ; 2,16]$ og $[6,17 ; 10]$
 h er voksende i intervallet $[2,16 ; 6,17]$

Opg. 214

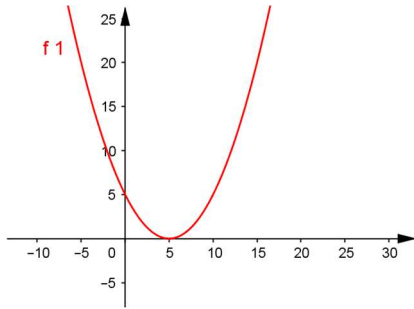
a. 214a



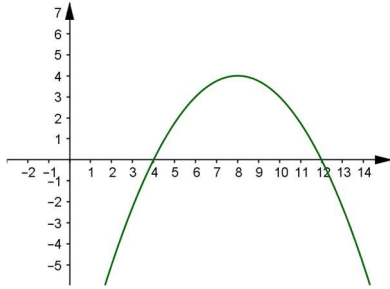
- b. f er aftagende i intervallerne $[-10 ; -5,04]$ og $[1 ; 4,94]$
 f er voksende i intervallerne $[-5,04 ; 1]$ og $[4,94 ; 10]$

Opg. 215

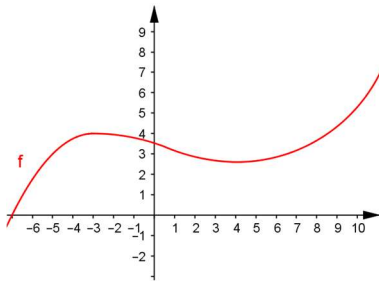
a. 215a



b. 215b



c. 215c



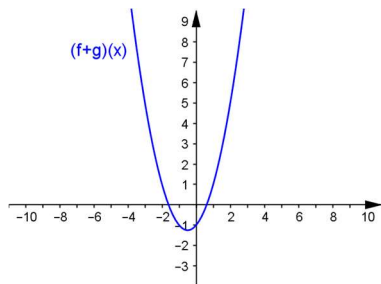
Opg. 216

- a. -3
- b. 3
- c. -15
- d. 6
- e. -5
- f. -28
- g. 14
- h. -18
- i. 1
- j. -2
- k. 15
- l. 21

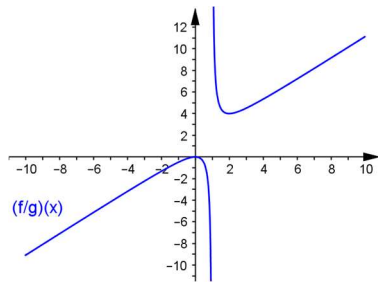
Opg. 217

- a. 5
- b. -7

c. 217c



d. 217d

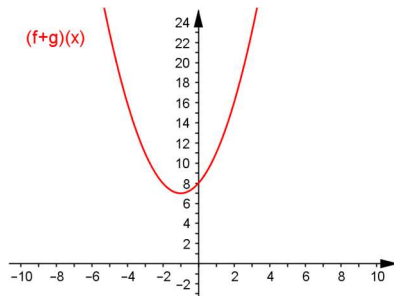


Opg. 218

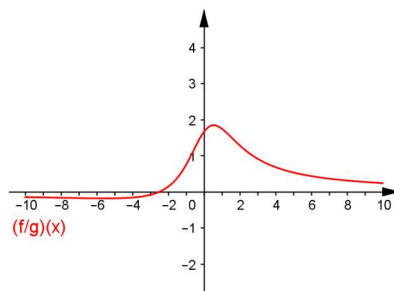
a. 16

b. 1

c. 218c



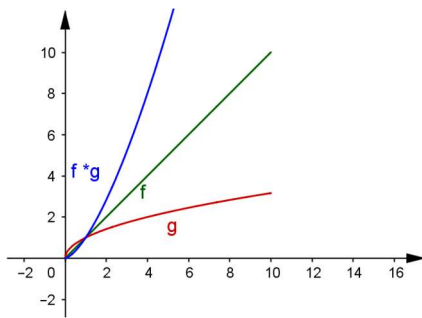
d. 218d



Opg. 219

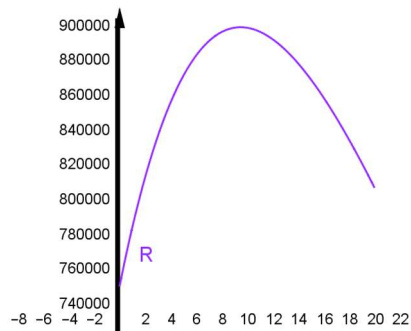
a. 8

b. 219b



Opg. 220

- $S(x) = 100x + 1000$
- For $x=0$ er omsætningen på 750.000 kr.
For $x=5$ er omsætningen på 870.504 kr.
- 220c



- $x = 9,5$

Opg. 221

- $f(g(1)) = 9$, $f(g(0)) = 25$ og $f(g(-2)) = 81$
- $g(f(1)) = -3$, $g(f(-3)) = 13$ og $g(f(5)) = 45$
- $f(g(x)) = (2x - 5)^2$
- $g(f(x)) = 2x^2 - 5$

Opg. 222

- $f(g(1)) = 1$ og $f(g(-2)) = \frac{1}{4}$
- $g(f(2)) = \frac{1}{4}$ og $g(f(-3)) = \frac{1}{9}$
- $f(g(x)) = \frac{1}{x^2}$

d. $g(f(x)) = \frac{1}{x^2}$

Opg. 223

- a. $f \circ g(1) = 2$, $f \circ g(0) = 1$ og $f \circ g(5) = 4$
- b. $g \circ f(1) = 4$, $g \circ f(4) = 7$ og $g \circ f(0) = 1$
- c. $f \circ g(x) = \sqrt{3x+1}$
- d. $g \circ f(x) = 3 \cdot \sqrt{x} + 1$

Opg. 224

- a. 3
- b. 2
- c. 5
- d. -1
- e. 1
- f. 0
- g. 5
- h. 5
- i. -5
- j. -2
- k. 1
- l. 1

Opg. 225

a. $(x^2 + 3x)^5$

Opg. 226

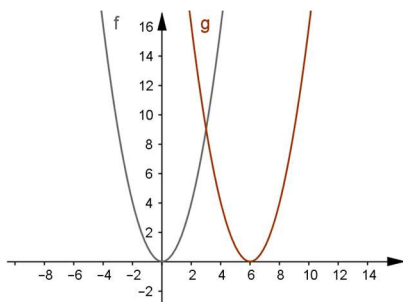
- a. Indre funktion: $3x - 8$
Ydre funktion: x^3
- b. Indre funktion: $4x + 2$
Ydre funktion: \sqrt{x}
- c. Indre funktion: $-3x + 1$
Ydre funktion: $\frac{1}{x}$
- d. Indre funktion: $5x - 1$
Ydre funktion: $5 \cdot 3^x$

Opg. 227

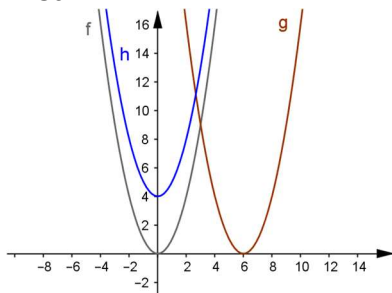
- a. Indre funktion: $x^2 - 5x$
 Ydre funktion: x^{10}
- b. Indre funktion: $20x^3 - 4x$
 Ydre funktion: $\frac{4}{x}$
- c. Indre funktion: $3x^2 - 32x$
 Ydre funktion: \sqrt{x}
- d. Indre funktion: $-x^2$
 Ydre funktion: $100 \cdot 1,3^x$

Opg. 228

a. 228a



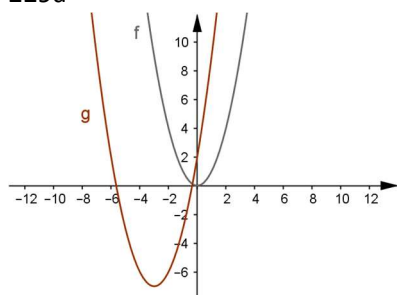
- b. Grafen for g er parallelforskyt 6 vandret til højre for f
- c. 228c



- d. Grafen for h er parallelforskyt 4 lodret op ift. f

Opg. 229

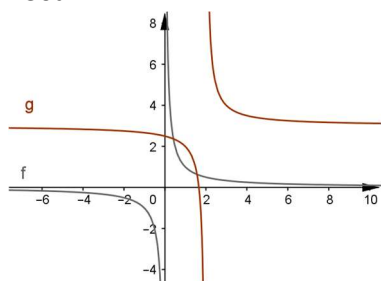
a. 229a



b. Grafen for g er parallelforskudt 7 lodret ned, og 3 vandret til venstre ift. f

Opg. 230

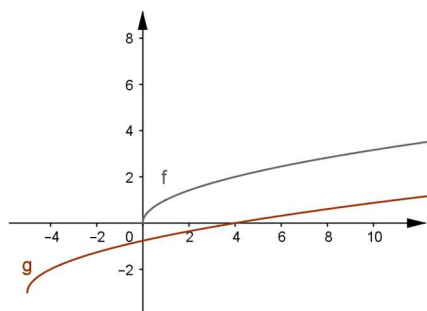
a. 230a



b. Grafen for g er parallelforskudt 3 lodret op, og 2 vandret til højre ift. f

Opg. 231

a. 231a



b. Grafen for g er parallelforskudt 3 lodret ned, og 5 vandret til venstre ift. f

Opg. 232

a. $(2x - 5) + 8$

b. $(2x - 5) - 3$

c. $2 \cdot (x - 7) - 5$

d. $2 \cdot (x + 1) - 5$

Opg. 233

a. $x^2 + 3$

b. $(x - 4)^2$

c. $(x - 5)^2 + 8$

d. $(x + 2)^2 - 4$